## Divisibility Rules

| Divisor | Divisibility Condition | Example |
| :---: | :--- | :--- |
| 2 | The last digit is even (0, 2, 4, 6, or 8 ). | $38: 8$ is even which is divisible by 2. |
| 3 | The sum of the digits is divisible by 3. <br> For large numbers, digits may be summed iteratively. | $4,053=>4+0+5+3=12$ and $1+2=3$ <br> which is clearly divisible by 3. |
|  | Add the ones digit to twice the tens digit. <br> (All digits to the left of the tens digit can be ignored.) | $7,372: 2+(2 \times 7)=16$ <br> which is clearly divisible by 4. |
|  | The last two digits divisible by 4. | $20,516: 16$ is divisible by 4. |
|  | If the tens digit is even, and the ones digit is 0,4, or 8. <br> If the tens digit is odd, and the ones digit is 2, or 6. | $728: 2$ is even, \& the last digit is 8. <br> $356: 3$ is odd, \& the last digit is 6. |
| 5 | The last digit is 0 or 5. | $1,285:$ the last digit is 5. |
| 6 | If it is divisible by 2 and by 3. | $2,562: 2+5+6+2=15$, <br> which it is divisible by 3, and the <br> last digit is even which is divisible <br> by 2, so the number is divisible 6. |
|  | If the last three digits are divisible by 8, <br> then the entire number is also divisible by 8. | $1,024: 024$ is divisible by 8 so, <br> 1,024 is also divisible by 8. |
| 9 | The sum of the digits is divisible by 9. <br> For large numbers, digits may be summed iteratively. | $1,269=>1+2+6+9=18$ and $1+8=9$ <br> which is clearly divisible by 9. |

